



Pathfinding Visualizer of Shortest Path Algorithms

Enosh Raj Paul

Computer Engineering Department
St. Vincent Pallotti College of Engineering
And Technology, Nagpur

Korlapu Abhishek

Computer Engineering Department
St. Vincent Pallotti College of Engineering
And Technology, Nagpur

Harsh Rohit Upadhyay

Computer Engineering Department
St. Vincent Pallotti College of Engineering
And Technology, Nagpur

Ritesh Virulkar

Computer Engineering Department
St. Vincent Pallotti College of Engineering
And Technology, Nagpur

Abstract - The visibility of algorithms contributes to the development of computer science education. The process of teaching and learning algorithms is often complex and difficult to understand. Visualization is a useful way to learn in any computer science course. In this paper an e-learning tool for short algorithms presentation techniques is described. The advanced e-learning tool allows you to create, edit and maintain graph formats and visualize action algorithm steps. It is intended to be used as a face-to-face supplement or as a stand-alone application. The intellectual functionality of the defined e-learning tool is demonstrated through the use of the path finding algorithms. Preliminary test results demonstrate the usefulness of the e-learning tool and its ability to assist students in developing effective mental models related to short-term algorithms. This electronic learning tool is intended to combine different algorithms to get the shortest route.

Keywords: - Visualization, algorithm, e-learning, shortest route, pathfinding.

I. INTRODUCTION

Pathfinding or pathing is a method of planning, in a computer program, of a short

route between two points. It's a very effective way to solve mazes. This field of study relies heavily on Dijkstra's, A*, etc. algorithms to find the shortest path to a weighted graph. Finding a route is closely related to the shortest route problem, within the graph theory, which explores the method of identifying a method that best meets certain conditions (shortest, cheapest, fastest, etc.) between two points in a large network. At its backbone, the route finder searches the graph by starting at one vertex and examines nearby locations until it reaches the destination, usually for the purpose of finding.[1]

cheap route. Pathfinding refers to computing an optimal route in a given map between the specified start and goal nodes. It is an important research topic in the area of Artificial Intelligence with applications in fields such as GPS, Real-Time Strategy Games, Robotics, logistics while implemented in static or dynamic or real-world scenarios. Although graph search methods like scope-first search can find a path given enough time, other methods that "verify" the graph will usually hit the post immediately.[5] An analogy can be a person walking in a room; instead of exploring every possible route in advance, a person will usually go his own way and only deviate from the path to avoid the obstacle, and make as

little detour as possible. Algorithm: - Edsger Dijkstra Dutch. He is one of the biggest names in computer science. He is known for his handwriting and quotes such as: • Simplicity is essential for honesty. • The question of whether machines can think is as important as the question of whether submarines can swim.[1]

The Dijkstra algorithm was created in 1959 by Dutch Computer Scientist Edsger Dijkstra. While employed at the Mathematical Center in Amsterdam, Dijkstra was asked to demonstrate the power of ARMAC, a sophisticated computer program developed by the Statistics Center.[2] Part of his presentation involved showing how best to navigate between two points and in doing so, a much shorter route algorithm was created. It was later renamed Dijkstra's Algorithm in honor of its creator. In particular, we are reminded that this popular algorithm is strongly influenced by Bellman's principle of doing good and that it psychologically and technically creates a consistent and consistent planning process with equal efficiency and efficiency.[3] A * Algorithm In 1964 Nils Nilsson developed a heuristic approach to increasing the speed of the Dijkstra algorithm. This algorithm was called A1. In 1967 Bertram Raphael made remarkable progress in this algorithm, but failed to demonstrate its effectiveness.[6] He called this process A2. Then in 1968 Peter E. Hart introduced the argument which proved that A2 was right when using hetaeristic consistency with only minor variations. His proof of algorithm included a section that showed that the new A2 algorithm was the best algorithm in terms of scenarios. So, he coined the algorithm in the Kleene star syntax to be an algorithm that starts with A and includes all possible version numbers or A *

II. LITERATURE REVIEW

An important area of mathematical theory is the mathematical study of the structure of

invisible relationships between objects by graphs (networks). While investigating these structures can only be a theory, it can be used to model intelligent relationships in many real-world systems.[7] One of the most widely used systems is the shortening of shortcuts to many operating systems such as: maps; robotic navigation; texture map; system setup in TeX; urban vehicle planning; proper plumbing for VLSI chips; subroutines in advanced algorithms; telemarketer user configuration; communication messaging; almost piecewise line jobs; network route agreements (OSPF, BGP, RIP); exploit arbitrage opportunities in financial trading; correct truck route using traffic congestion pattern.[4]

DATA BUILDINGS

In fact, graphs are usually represented by one of two common data structures: adjacent lists and adjacent matrices. At the highest level, both data structures are lists identified by vertices; this requires each vertex to have a unique number identifier between 1 and V.[1] In a legal sense, these whole numbers are times.

ADJACENCY LISTS

So, far the most common data structure for keeping graphs is a close list. An adjacent list is a series of columns, each containing the neighbors of one of the layers (or external neighbors when the graph is oriented). In the non-target graphs, the u, v of each edge is doubled, once in the neighbor list of u and once in the neighbor list of v; in the directed graphs, the u, v of each edge is kept only once, in the neighbor list of tail u. In both graphs, the total space required for the adjacent column is $O(V + E)$. There are a few dead rental methods to represent these neighborhood lists, but common use uses one simple linked list. The data structure effect allows us to list (outside-) the neighbors of node v at $O(1 + \text{deg}(v))$; just scan the

neighbor list for v . Similarly, we can determine whether the U, V is curved at the time of $O(1 + \deg(u))$ scanning the neighboring list of u . For indirect graphs, we can extend the time to $O(1 + \min\{\deg(u), \deg(v)\})$ by simultaneously scanning your neighbor's list of both u and v , stopping whether we get the edge or when we fall. end of list.

ADJACENCY MATRICES

Another common data structure for charts is the closed matrix, first proposed by Georges Brunel in. The adjacent matrix graph G is a $V \rightarrow V$ matrix of 0s and 1s, usually represented by a two-dimensional system $A[1..V, 1..V]$, where each entry indicates whether a specific edge is present in G . [8] Specifically, in all vertices u and v : if the graph is incorrect, then $A[u, v] = 1$ if and only if $u, v \in E$, and if the graph is oriented, then $A[u, v] = 1$ if and only if $u, v \in E$. In indirect graphs, the adjacency matrix remains symmetric, meaning $A[u, v] = A[v, u]$ in all vertices u and v , because u, v and vu are simply rented words with the same edge, and diagonal entries $A[u, u]$ are all zero. In the directed graphs, the adjacent matrix may or may not be symmetrical, and the diagonal input may or may not be zero. [1] Looking at the adjacent matrix, we can determine that \rightarrow (1) the time when the two vertices are connected horizontally by looking at the correct position in the matrix. We can also calculate all vertex neighbors at \rightarrow (V) by scanning the corresponding row (or column). [6] This operating time is fine in the worst-case scenario, but even if the vertex has fewer neighbors, we still have to scan the entire line to find them all. Similarly, adjacent matrices require (V^2) spacing, regardless of how many edges the graph has, so they appear only in space on very dense graphs. [9]

Best-first search is an algorithm that traverses the paths of a search space, usually represented as a tree, exploring its nodes in a

manner dictated by an evaluation function: the best nodes are selected first in an attempt to reach the goal. AVL trees and red-black trees are variants of BSTs that reorganize the tree on insertion to maintain approximate balance. [12] They achieve the logarithmic worst case bound by storing some additional information in each node. [13]

Breadth-first search (BFS) is one of the oldest and most fundamental graph traversal algorithms, in influencing many other graph algorithms. Early descriptions of BFS can be found in. Similarities can be found between BFS, Prim's algorithm for minimal spanning trees, and Dijkstra's algorithm for single source shortest paths. Artificial intelligence algorithms use BFS for state-space searches. BFS has also been described for parallel computation, and under the functional programming paradigm. [13]

The DFS algorithm extends the current path as far as possible before backtracking to the last choice point and trying the next alternative path. Given a graph $G = (V, E)$ where V stand for set of vertices and E stands for set of edges. A vertex $u \in V$ where we want to explore each vertex in graph. Let $n = |V|$ and $m = |E|$. Basically a graph can be of two types: directed and undirected. Graph can be represented by two techniques: 1) by matrix, 2) by linked list. Now we assume graph is represented by a linked list. [14]

III. HOW

At this stage, the design performance has been explained in detail. How the design started and how the design works and how the colorful phases of the design are done and the challenges faced at each level. What does the design do? At its core, a navigation algorithm seeks to find the shortest route between two points. This design visualizes colorful algorithms for chancing a way to work, and more! All algorithms in this design are converted to a 2D grid, where 90-degree gyration" costs"1 and movement from one

place to another" costs"1. Choosing Algorithm Select the "Algorithms" algorithm drop-down menu. Note that some algorithms are weighted, while others are not weighted. Featherlight algorithms don't change or weighted bumps are considered, while weighted bones do. Also, not all algorithms guarantee the shortest route. Meet Dijkstra's Algorithm algorithms. The father of changing algorithms; ensures a veritably short route. Stylish First Hunt (heavier) Fast, heuristic-heavy interpretation of A*; doesn't guarantee a veritably short route. A* is a search engine algorithm that has long been used in the research community.[11] Its efficiency, simplicity, and modularity they are often highlighted as its strength compared to other tools. Due to its ubiquitous nature and widespread use, A* has become a common option for researchers trying to solve problems finding solutions.[8] Original Breadth Hunt (light) A good algorithm; ensures a veritably short route. Advanced Hunt (light) Too bad route-finding algorithm; doesn't guarantee a veritably short route. To add walls, click on the grid to add a wall. The walls are inapproachable, which means the road cannot be crossed. Visualization and navigation Use navbar buttons to fantasize algorithms and do other effects! You can clear the current path, clear walls and weights, clear the entire board, and acclimate the viewing speed, all from the navbar. However, click on "Pathfinding Visualizer" in the top left corner of your screen, if you want to pierce this tutorial again. Project objects:

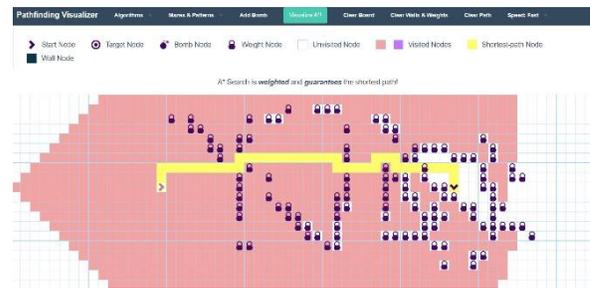
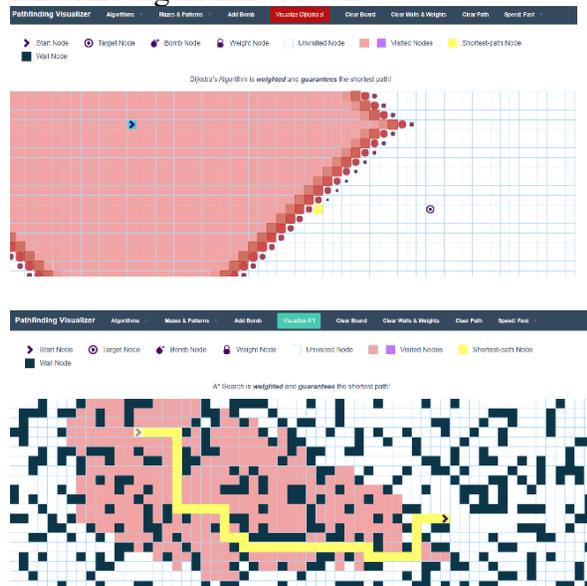
- Can be used as an E reading tool for understanding Algorithms.
- Used for Changing the Roadway.
- Used on the telephone network.
- Used on IP path to get the shortest Open First.
- Used on position maps to detect places Map pertaining to graphs.

- We can produce a GPS system that will guide you in places.
- Search machine quests are used by BFS to produce an indicator. From the source runner, it gets all the links to get new runners.
- As druggies of wireless technology, people want advanced data values than Gigabytes per second for Voice, Video and other operations. There are numerous situations of access data values above GB/ s. One of the norms is MIMO (Multi input Multi affair). MIMO uses the K-stylish Algorithm (which is a Breadth-First hunt algorithm) to find the shortest Euclidian distances. Project phases Project development is recorded in six phases. These sections cover all design way, from data collection and 482 International Journal for Modern Trends in Science and Technology processing to stoner outputs.[9] The six orders are 1. Graph Matrix Construction. 2. Added Walls and event followership. 3. Bed the Graph Algorithms. 4. Integrated Finder Performance. 5. Improved Design and UI. 6. Extended Calculator Performance After all these stages the design is fully ready for use by the stoner. Each section has been bandied in detail from then on, in order to achieve a complete understanding of this work Breadth-first hunt (BFS) is a hunt machine algorithm for knot tree content that satisfies certain means. It starts at the root of the tree and examines all the bumps at the current depth before moving to areas at the coming depth position. Redundant memory, generally in line, is demanded to track children's bumps that have been encountered but haven't been examined. Advanced hunt is an algorithm for covering or searching for a tree or graphical data structures. The algorithm starts at the root position (selects the wrong knot as the root knot in the graph mode) and checks as much as possible for each branch before reversing. So the introductory idea is to start from the root or any wrong knot and mark the knot and go to the nearest unmarked area and continue

with this circle until there's no near unmarked bump. Also go back and check other unmarked bumps and tear them up. Eventually, publish the bumps along the way. The greedy advanced hunt algorithm always chooses the system that seems stylish at the moment. It's a combination of deep hunt and broad hunt algorithms. It uses heuristic function and hunt. Advanced hunt allows us to take advantage of both algorithms. With the help of excellent hunt, in each step, we can choose the most promising place. In the first stylish hunt algorithm, we extend the knot closest to the target area and the nearest cost is estimated by the heuristic function, i.e., $f(n) = g(n) + h(n)$. That is, $h(n) =$ estimated cost from point n to goal. The greedy stylish first algorithm is enforced by the precedence queue.

IV. RESULTS

Firstly, elect the algorithm you want to fantasize also set the position of starting and ending knot. Fit the walls or pre-build mazes to produce obstacles between bumps. You can also add weighted bumps to produce obstacles. To start visualization press “fantasize algorithm” button.



V. CONCLUSION

With the completion of this design, we've successfully achieved our ideal of our design is to bed Graph Path Chancing with Visualization and Comparing their performance. As is the case with utmost other tutoring areas, there has been a significant gap between the proposition and practical understanding of algorithms consummation. The main thing of the design is to use it from operations exploration preceptors and scholars for tutoring and studying the being known combinatorial graph algorithms. The main idea of the system is to give an intertwined educational terrain for both preceptors and scholars to grease the literacy process in effective way. To conclude, we've learnt a lot of effects working under this design. We're also thankful to our tutor and administrator for their sweats in the literacy process.

VI. REFERENCES

1. International Journal for Modern Trends in Science and Technology, 6(12): 479-483, 2020 Copyright © 2020 International Journal for Modern Trends in Science and Technology ISSN: 2455-3778 online DOI:

<https://doi.org/10.46501/IJMTST061293>
 Available online at:
<http://www.ijmtst.com/vol6issue12.html>
 2. IACSIT International Journal of
 Engineering and Technology, Vol. 5, No. 4,
 August 2013.
 3. A Review on Algorithms for Pathfinding
 in Computer Games Parth Mehta¹ Hetasha
 Shah² Soumya Shukla³ Saurav Verma⁴
 Student^{1,2,3}, Assistant Professor⁴ MPSTME
 NMIMS, Mumbai parth94@hotmail.com,
 hetasha94@gmail.com,
 soumyashukla1094@gmail.com,
 sauravtheleo@gmail.com
 4. Comparative Analysis of Path-finding
 Algorithm on Unrestricted Virtual Object
 Movable for Augmented Reality by
 Aninditya Anggari Nuryono, Alfian Ma'arif,
 Iswanto Iswanto.
 5. PATHFINDING VISUALIZER subtitle
 Thierry Thierry Oke Department, Minnesota
 State University Moorhead, 1104 7th Avenue
 South, Moorhead, MN 56563.
 6. Zhang He School of Computer Science
 Communication University of China
 Beijing, China 13207144228@163.com
 7. The Hong Kong Polytechnic University;
 betty-tong.pan@connect.polyu.hk
 The Hong Kong Polytechnic University;
lilian.pun@polyu.edu.hk
 8. A Path Finding Visualization Using
 A Star Algorithm and Dijkstra's Algorithm
 Saif Ulla Shariff¹, M Ganeshan²
 Master of Computer Application,
 Associate Professor, Jain Deemed-to-be
 University, Bengaluru, Karnataka, India.
 9. 5th International Conference on Computer
 Science and Computational Intelligence
 2020, A Systematic Literature Review of A*
 Pathfinding Daniel Foeada, Alifio Ghifaria,
 Marchel Budi Kusumaa, Novita Hanafiahb,
 Eric Gunawan.
 10. A Thesis Submitted to the Faculty of
 Graduate Studies through the School of
 Computer Science in Partial Fulfillment of
 the Requirements for the Degree of Master of

Science at the University of Windsor
 Windsor, Ontario, Canada 2019 © 2019
 Harinder Kaur Sidhu.

11. © 2019 The Authors. Published by
 Elsevier B.V. This is an open access article
 under the CC BY-NC-ND license
 (<https://creativecommons.org/licenses/by-nc-nd/4.0/>) Peer-review under responsibility
 of KES International.

12. International Research Journal of
 Engineering and Technology (IRJET)
 A STUDY ON BEST FIRST SEARCH 1,
 M. Sinthiya, 2, Dr. M. Chidambaram Dept. of
 Computer Science Rajah Serfoji Government
 Arts College.

13. The Nature of Breadth-First Search
 School of Computer Science, Mathematics,
 and Physics James Cook University,
 Australia Technical Report 99-1 Jason J
 Holdsworth.

Url: <http://cairns.cs.jcu.edu.au/~jason>
 January 18, 1999.

14. International Journal of Engineering
 Research & Technology (IJERT)
 ISSN: 2278-0181

Vol. 2 Issue 7, July – 2013

Applications of Depth First Search: A Survey
 Gaurav Rathi, Dr. Shivani Goel Thapar
 University, Patiala (Punjab)